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## PREFACE

The Department of Transportation's (DOT) rail-highway crossing accident prediction formula and resource allocation model were developed at the Transportation Systems Center (TSC) under the sponsorship of the Federal Railroad Administration's (FRA) Office of Safety Analysis and the Federal Highway Administration's (FHWA) Office of Research. When used together, these procedures provide a systematic means of assisting in making a preliminary, optimum allocation of funds among individual crossings, considering available improvement options. These procedures provide a ranked listing of crossings which can then be used as a guide for selecting crossings for on-site visits by diagnostic teams. States and railroads are invited to contact the FRA, FHWA, or the author of this report for assistance in using the resource allocation procedures.

This report provides an overview of the use and output of these procedures. The author had the major role in formulating the resource allocation model while Dr. Peter H. Mengert/TSC had the primary role in developing the DOT rail-highway crossing accident prediction formula.
MAETRIC COAVERSGON FACTORS

Section Page

1. INTRODUCTION ..... 1
2. DOT ACCIDENT PREDICTION FORMULA ..... 3
3. DOT SEVERITY PREDICTION FORMULAS ..... 7
4. RESOURCE ALLOCATION MODEL ..... 9
APPENDIX A - TABLE VALUES FOR ACCIDENT HISTORY FORMULA ..... 15
APPENDIX B - EQUATIONS FOR BASIC FORMULA ..... 17
APPENDIX C - TABLE VALUES FOR BASIC FORMULA FACTORS. ..... 19
APPENDIX D - EQUATIONS AND TABLE VALUES FOR SEVERITY PREDICTION FORMULAS ..... 23
GLOSSARY ..... 27
REFERENCES ..... 29

## LIST OF TABLES

Table Page

1. CHARACTERISTICS OF SAMPLE CROSSING ..... 5
2. $\operatorname{COST}$ PARAMETERS FOR CROSSING WARNING DEVICES IN 1983 DOLLARS ..... 9
3. EFFECTIVENESS VALUES FOR CROSSING WARNING DEVICES ..... 11
4. RAIL-HIGHWAY CROSSING RESOURCE ALLOCATION RESULTS. ..... 13
A-1. VALUES OF (B) CALCJJATED FROM VALUES OF (a) AND ACCIDENT HISTORY ..... 16
B-1. EQUATIONS FOR CROSSING CHARACTERISTIC FACTORS ..... 18
C-1. FACTOR VALUES FOR CROSSINGS WITH PASSIVE WARNING DEVICES ..... 20
C-2. FACTOR VALUES FOR CROSSINGS WITH FLASHING LIGHT WARNING DEVICES ..... 21
C-3. FACTOR VALUES FOR CROSSINGS WITH GATE WARNING DEVICES ..... 22
D-1. FACTOR VALUES FOR FATAL ACCIDENT PROBABILITY FORMULA ..... 24
D-2. FACTOR VALUES FOR CASUALTY ACCIDENT PROBABILITY FORMULA ..... 25

## LIST OF SYMBOLS



## 1. INTRODUCTION

This report is a revision of a previous report with the same title. (1) The present report contains a revised accident prediction formula based on recent inventory data and recent accident experience. The report also contains formulas which calculate severity prediction; it contains extended warning device effectiveness data; and it contains the inclusion of the stop sign option in the resource allocation model.

Under Section 203 of the Highway Safety Acts of 1973 and 1976 and the Surface Transportation Assistance Acts of 1978 and 1982, Congress provided funding authorizations for individual states to improve safety at public railhighway crossings. Included in these authorizations is funding for the installation of active motorist warning devices, such as flashing lights or flashing lights with gates. These devices are an important part of crossing safety improvements. In support of these safety efforts, several projects have been undertaken by the U.S. Department of Transportation (DOT) to assist states and railroads in determining effective allocations of funds for rail-highway crossing safety improvement. One project is the development of a resource allocation procedure which assists in nominating and ranking crossings for safety improvements to assure maximum safety benefits for a given level of funding. DOT's resource allocation procedure is based on two analytical tools: an accident prediction formula and a resource allocation model. The purpose of this report is to describe these tools in non-technical language and to explain the applications for the resource allocation procedure.

A joint U.S. DOT-AAR National Rail-Highway Crossing Inventory (DOT Crossing Inventory) was completed in 1976. Updated inventory data are published annually. (2) The DOT Crossing Inventory contains characteristics of all railhighway crossings in the United States, gives uniform information on each crossing, and provides an improved basis for rail-highway crossing accident prediction.

A number of crossing hazard formulas have been developed and used extensively in dealing with solutions to the rail-highway crossing safety problem. (3) The DOT accident prediction formula is based on the extensive data in the DOT Crossing Inventory and is an improvement over other hazard formulas.

```
    A flow diagram of the DOT accident and severity prediction formulas,
showing the data bases employed, is described in Figure i. Further information
on these.procedures is contained in another DOT report. (4) The theory
underlying the formulas is contained in a separate report. (5)
```



FIGURE 1. DOT RAIL-HIGHWAY CROSSING ACCIDENT AND SEVERITY PREDICTION FORMULAS

## 2. DOT ACCIDENT PREDICTION FORMULA

The DOT accident prediction formula was developed using the data shown in Figure 1. Three formulas are used to calculate predicted accidents: a basic formula which contains factors from the crossing inventory, a second formula which incorporates accident history as an explicit factor, and a third formula which involves a normalizing constant. The three formulas, given in a general form, are shown in equations [1], [2], and [3] respectively. The output of equation $[1]$ is an input to equation [2]. The output of equation [2] is the input to equation [3]. The output of equation $[3]$ is the predicted accidents per year for the crossing of interest.
$a=K X E I X D T X M S X M T X H P X H L$

$$
B=\frac{T_{O}}{T_{O}+T}(a)+\frac{T}{T_{O}+T}(N / T), T_{O}=1 /(0.05+a)
$$

$$
A= \begin{cases}.8644 \mathrm{~B} & \text { Passive Devices } \\ .8887 \mathrm{~B} & \text { Flashing Lights } \\ .8131 \mathrm{~B} & \text { Gates }\end{cases}
$$

The basic formula [1] was developed using a nonlinear multiple regression technique as applied to crossing characteristics contained in the DOT Crossing Inventory and to accident data contained in RAIRS. The basic formula consists of a number of multiplicative factors, each factor representing a characteristic of the crossing described in the DOT Crossing Inventory. The numerical value of each factor is related to the statistical influence which the specific crossing characteristic has on the predicted number of accidents. The values of (a) calculated from equation [1] could be considered accident predictions, but they have not been normalized properly. Three sets of equations are used to determine the values of each factor, corresponding to the following categories of warning devices: passive warning devices, flashing lights, and flashing lights with automatic gates. Specific equations for the crossing characteristic
factors by the three warning device categories are shown in Appendix B. Each set of factor equations should only be used for crossings with the warning device category for which it was designed. To calculate the value of (a) at a crossing with crossbucks, for example, the passive set of equations should be used. In lieu of using the actual equations in Appendix $B$, a very good approximation can be achieved by using the range values for each factor. These values are tabulated in Appendix $C$.

The predictive capacity of the basic formula is limited because certain important crossing characteristics, such as site distance at the crossing, are not included in the DOT Crossing Inventory. Inclusion of actual accident history at crossings, as is done in equation $[2]$, dramatically improves the predictive capabilities of the formula. Equation $[2]$ calculates a value (B) which is a weighted average of two separately derived predictions. The two predictions are the value (a) from equation $[1]$, which provides a prediction on the basis of a crossing's characteristics (as described in the DOT Crossing Inventory), and the actual accident history at a crossing, which is equal to the number of previous accidents ( $N$ ) divided by the number of years of data ( $T$ ). The value of ( $T$ ) is usually taken to be five. To get the final predicted accidents (A), (B) is multipled by one of three constants as indicated by [3]. The particular constant depends on whether the crossing has a passive device (e.g., crossbuck), a flashing light, or a gate. These constants adjust the predictions to reflect more recent levels of accident experience. They will be recalculated periodically and published annually in FRA's Rail-Highway Crossing Accident/Incident and Inventory Bulletin starting with Bulletin No. 10 to be published in 1988 for Calendar Year 1987.

Values for (B) from equation [2] are tabulated in Appendix A for different values of (a) from equation [1], and the number of accidents ( $N$ ) for five years of accident history data. The most recent five years of accident history data should be used to ensure good performance from the formula. Accident history information older than five years may be misleading because of changes in crossing characteristics. Tables for one, two, three and four years of accident history are published in the User's Guide, Third Edition 4 . Referring to the table in Appendix $A$, the value of ( $B$ ) is determined from the intersection of the appropriate column and row for the values of (a) and (N). For example, if $a=$ 0.10 and $N=1$ for five years of data, the value of (B) is 0.143 .

Use of the DOT accident prediction formula is illustrated below. Characteristics of a sample crossing from the DOT Crossing Inventory and RAIRS are shown in Table 1.

TABLE 1. CHARACTERISTICS OF SAMPLE CROSSING

| CHARACTERISTIC | VALUE |
| :--- | :--- |
| Present warning device | Crossbucks |
| Annual average daily highway traffic | 350 |
| Total number of train movements per day | 15 |
| Total number of through trains per day | 10 |
| Total number of switch trains per day | 5 |
| Number of main tracks | 2 |
| Total number of tracks (main and other) | 2 |
| Number of through trains per day during daylight | 5 |
| Highway paved? | yes |
| Maximum timetable speed, mph | 40 |
| Number of highway lanes | 2 |
| Urban - rural location | Rural |
| Number of years accident data (T) | 5 |
| Number of accidents (N) in (T) years | 2 |

The basic formula [1] is first used to determine the value of (a). The values of the formula factors for a passive crossing are determined from Table C-1: $K=0.0006938 ; E I=42.39 ; D T=1.79 ; ~ M S=1.36 ; M T=1.00 ;$ $H P=1.00$ and $H L=1.00$. Substituting the factor values in the basic formula yields:
$a=K \times \operatorname{EI} \times$ DT X MS X MT X HP X HL
$=0.0006938 \times 42.39 \times 1.79 \times 1.36 \times 1.00 \times 1.00 \times 1.00$
$=0.072$

The value of ( $B$ ) is determined by combining the value of (a) with che crossing's accident history, using either equation $[2]$ or the table in Appendix A for five years of accident data. From Appendix A, with a $=0.072$ and an accident history of two accidents ( $N=2$ ) during the past five years, the value of ( $B$ ) is 0.196.* Thus, the final accident prediction value (A) from Formula $[3]$ is $A=0.8644 \times 0.196=0.169$ accidents per year. This could be interpreted as one accident in six years.

The accident prediction formula was compared with other rail-highway crossing accident prediction models. Statistical tests which compared these models indicated that the accuracy of DOT's formula is superior for ranking crossings by predicted accident levels. Since the DOT formula is based on the DOT Crossing Inventory, a comron data base of crossing characteristics is available to formula users. As the DOT Crossing Inventory is updated and the RAIRS data is expanded, the DOT accident prediction formula will reflect the latest information.

Linear interpolation was used to obtain this value.

## 3. DOT SEVERITY PREDICTION FORMULAS

The DOT severity prediction formulas were developed using the data shown in Figure 1. Two basic kinds of severity predictions can be made: fatal accidents. per year and casualty accidents per year. Fatal accidents are accidents which result in a fatality, and casualty accidents are accidents which result in either a fatality or an injury. Both kinds of accidents are reported annually by the FRA. (1)

In order to determine fatal accidents per year, given that an accident occurred, the probability that a fatal accident occurred, denoted $P(F A \mid A)$, is first calculated using the formula:
$P(F A \mid A)=1 /(1+K F X M S X T \Gamma X \operatorname{XS} X U R)$.

The equation for $P(F A \mid A)$ and numerical values for the multiplicative factors in the denominator are given in Appendix $D$. The number of fatal accidents per year (FA) is then obtained by the formula $F A=A X P(F A \mid A)$.

In order to determine casualty accidents per year, given that an accident occurred, the probability that a casualty accident occurred, denoted $P(C A \mid A)$, is first calculated using the formula:
$P(C A \mid A)=1 /(1+K C X M S X T K X U R)$

The equation for $P(C A \mid A)$ and numerical values for the multiplicative factors in the denominator are given in Appendix $D$. The number of casualty accidents per year (CA) is then obtained by the formula $C A=A X P(C A \mid A)$.

In addition to these two predictions of crossing accident severity, a combined casualty index (CCI) can be calculated. If this measure is specified, the user must provide a constant which establishes how many injury accidents are equivalent to a fatal accident overall. If it is assumed that 50 injury accidents provide the same societal loss as one fatal accident, noting that $C A-F A$ is the number of injury accidents per year, then

$$
\begin{aligned}
\mathrm{CCI} & =50 \mathrm{FA}+\mathrm{CA}-\mathrm{FA} \\
& =49 \mathrm{FA}+\mathrm{CA}
\end{aligned}
$$

Use of the DOT severity prediction formulas is illustrated by the example in Table 1. From Table D-1 values of the factors needed to calculate the fatal accident probability are: $K F=440.9, M S=0.025, T T=0.811, T S=1.169$, and $U R=1.000$. Substituting in formula $[4]$ yields:

$$
P(F A \mid A)=1 /(1+440.9 \times 0.025 \times 0.811 \times 1.169 \times 1.000)=.087
$$

This produces:
$F A=A X P(F A \mid A)=0.16 \times 0.087=0.014$ fatal accidents per year.

This could be interpreted as one fatal accident in 71 years.
From Table D-2, values of the factors needed to calculate the casualty accident probability are: $K C=4.481, M S=0.282, T K=1.259$, and $U R=1.000$. Substituting in formula $[5]$ yields:

$$
P(C A \mid A)=1 /(1+4.481 \times 0.282 \times 1.259 \times 1.000)=0.386
$$

This produces:

$$
C A=A X P(C A \mid A)=0.16 \times 0.386=0.062 \text { casualty accidents per year. }
$$

This could be interpreted as one casualty accident in 16 years.
Using the value of 50 injury accidents being equivalent to one fatal accident, the combined casualty index, using $[6]$, is:

$$
\begin{aligned}
\mathrm{CCI} & =49 \mathrm{FA}+\mathrm{CA} \\
& =0.75
\end{aligned}
$$

This value of CCI could be interpreted as being equivalent to one injury accident every 1.3 years.

## 4. RESOURCE ALLOCATION MODEL

The resource allocation model, shown as part of the resource allocation procedure in Figure 2, is designed to nominate crossings for improvement and suggest installation of the types of warning devices which maximize safety in the most cost effective manner. (6) Input to the resource allocation model includes the number of accidents predicted for each crossing, the severity predictions, the cost and effectiveness of different safety improvement options, and the budget level available for crossing safety improvement. Accident predictions can be made for a crossing by using any accident prediction formula which computes the expected number of accidents per year.

The resource allocation model requires estimated costs for flashing lights at a passive crossing, flashing lights and gates at a passive crossing, and for gates at a crossing already equipped with flashing lights. The required cost data may be specified by the user of the model, or data from a recent DOT study, shown in Table 2, may be used. (7) The cost data may be total life-cycle costs - the sum of procurement, installation, and maintenance - or those associated with a particular component of life-cycle costs. The cost data may also be installation costs.

TABLE 2. COST PARAMETERS FOR CROSSING WARNING DEVICES IN 1983 DOLLARS

| IMPROVEMENT ACTION | LIFE CYCLE COSTS | INSTALLATION COSTS |
| :--- | :---: | :---: |
| Passive to Flashing <br> Lights | $\$ 54,500$ | $\$ 43,800$ |
| Passive to Flashing <br> Lights with Gates <br> Flashing Lights to <br> Flashing Lights with <br> Gates | $\$ 84,000$ | $\$ 65,300$ |




Similarly, the effectiveness of these warning device improvement options must be specified. Effectiveness is the decimal anount by which accidents are reduced with installation of the given warning device. Values of warning device effectiveness have been obtained by the DOT study. (7) Three standard effectiveness values have been determined which are based only on the present warning devices and the proposed warning devices. In addition, twelve extended effectiveness values have been determined which depend on the present and proposed warning devices, on whether the crossing has a single track or multiple tracks, and whether the number of trains per day is less than or equal to 10 or greater than or equal to 11 . The user of the resource allocation model can choose which set of values to use. The DOT effectiveness values are shown in Table 3. Alternatively, if users have other effectiveness values which they believe are preferable, these may be specified in either the standard or extended format.

TABLE 3. EFFECTIVENESS VALUES FOR CROSSING WARNING DEVICES

| IMPROVEMENT ACTION | STANDARD <br> EFFECTIVENESS | EXTENDED EFPECTIVENESS |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | TRAINS $\leq 10$ |  | TRAINS $\geq 11$ |  |
|  |  | SINGLE <br> TRACK | MULTIPLE TRACK | SINGLE <br> TRACK | MULTIPLE TRACK |
| Passive to Flashing Lights | .70 | . 75 | . 65 | . 61 | . 57 |
| Passive to Flashing Lights with Gates | . 83 | . 90 | . 86 | . 80 | . 78 |
| Flashing Lights to Flashing Lights with Gates | .69 | . 89 | . 65 | . 69 | . 63 |

The resource allocation model is used initially to develop a ranked list of benefit/cost ratios, representing improvement project decisions for each of the crossings and options under consideration. For a crossing with multiple tracks, the model specifies gates as the only improvement option. The benefit is the predicted number of accidents prevented per year, the predicted number of fatal accidents prevented per year, or the predicted reduced combined casualty index.

The cost is that specified for the warning device to be installed. The model is an aid for the decision maker in his/her determination of the most costbeneficial crossing improvements. Using the model, the decision-maker is provided with a list of possible improvement projects that maximize estimated benefits for the available funding.

An example of an application of the resource allocation model is shown in Table 4. Tinis table shows the results for a given set of crossings for a budget of $\$ 1,000,000$, assuming the installation costs of Table 2 and the extended effectiveness values of Table 3. The list shows the recommended improvements sorted by benefit/cost ratio, where benefit is the expected accident reduction. The ID, the present warning device, the predicted accidents per year, and the improvement costs for each crossing are also included. The sum of the improvement costs is $\$ 994,400$, which is just under the budget of $\$ 1,000,000$. If one more crossing improvement were added to the list, the budget would be exceeded.

These results are indicative of the computer output that is available. Software is available that will show additional crossing characteristics that enter into the model. The software will also produce the output list sorted by crossing ID and provide a convenient summary of all the input parameters (4).

An optional feature has been added to the resource allocation model pertaining to stop signs. In the DOT study it was found that stop signs, when installed at passive crossings, have an effectiveness of 0.35 and an average installation cost of $\$ 400$. (7) The FHWA has established guidelines for the selection of candidate crossings for stop signs. (8) With such a high benefit/cost ratio it is important to know which crossings meet these guidelines. Therefore the resource allocation procedure identifies passive crossings which satisfy the following criteria:

1. Less than 400 AADT for rural roads. Less than 1500 AADT for urban roads:
2. Single track.
3. Greater than 10 trains per day.

Crossings so identified may also be recommended for an active warning device by the resource allocation model. The judgment of the crossing diagnostic team would be used at this point to make the best improvement decision.

TABLE 4. RAIL-HIGHWAY CROSSING RESOURCE ALLOCATION RESULTS

| Crossing <br> ID | Benefit/Cost <br> Ratio | Recommended <br> Improvement | Improvement <br> Cost | Present <br> Warning Device | Predicted <br> Acc./Year |
| :---: | :---: | :--- | :--- | :--- | :--- |
| 284M | 3.60 | Gate | $\$ 58,700$ | Flashing Lt. | .306 |
| 636R | 2.68 | Gate | 65,300 | Passive | .195 |
| 368H | 2.61 | Gate | 58,700 | Flashing Lt. | .172 |
| 365M | 2.61 | Gate | 58,700 | Flashing Lt. | .172 |
| 358C | 2.44 | Gate | 58,700 | Flashing Lt. | .161 |
| 639L | 1.95 | Flashing Lt. | 43,800 | Passive | .114 |
| 249Y | 1.89 | Flashing Lt. | 43,800 | Passive | .111 |
| 377G | 1.45 | Gate | 58,700 | Flashing Lt. | .095 |
| 382D | 1.44 | Gate | 58,700 | Flashing Lt. | .095 |
| 175X | 1.39 | Gate | 65,300 | Passive | .105 |
| 337J | 1.25 | Gate | 58,700 | Flashing Lt. | .082 |
| 158G | 1.21 | Flashing Lt. | 43,800 | Passive | .070 |
| 164K | 1.21 | Flashing Lt. | 43,800 | Passive | .070 |
| 651 T | 1.21 | Flashing Lt. | 43,800 | Passive | .087 |
| 631G | 1.21 | Flashing Lt. | 43,800 | Passive | .087 |
| 389B | 1.18 | Flashing Lt. | 43,800 | Passive | .069 |
| 640F | 1.12 | Flashing Lt. | 43,800 | Passive | .066 |
| 370J | 1.06 | Gate | 58,700 | Flashing Lt. | .070 |
| 158M | 0.98 | Flashing Lt. | 43,800 | Passive | .058 |

$\qquad$

## APPENDEX A

TABLE VALJES FOR ACCIDENT HISTORY FORMULA

Table A-1 gives the value of (B) for a crossing from equation [2] based on the output (a) of equation $[1]$ and the crossing's five year accident history. For example, if the value of (a) is 0.20 and the crossing experienced two accidents during the past five years, the value of (B) would be 0.311 .

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## APPENDIX B

EQUATIONS FOR BASIC FORMULA

Table B-1 lists equations for determining values of crossing characteristic factors used in the basic formula [1]. A different set of equations is provided for each of the warning device categories: passive, flasining lights, and gates. Each set of factor equations should only be used for crossings with the warning device category for which it was designed. To calculate (a) at a crossing with crossbucks, for example, the passive set of equations would be used. For cases indicated in the table where the equation is shown as a constant 1.0 , it was found that the characteristic did not have a statistical relationship to predicting crossing accidents.

If the warning devices at a particular crossing were upgraded in the last five years, it is preferable to use the set of equations for the warning device existing prior to upgrading and multiply the resulting value of (a) by the appropriate effectiveness factor from Table 3. In calculating (B) for such a crossing, only accident history since the upgrading should be considered. For example, if the warning devices at a crossing were upgraded from crossbucks to gates two years ago, the value of (a) should be calculated using the equation for "passive" crossings and the result should be multiplied by $1-0.83=0.17$. Though five years of accident history may be available, only the accidents and the time elapsed since the upgrade ( $T=2$ ) should be used in arriving at a value of ( $B$ ). The final accident prediction ( $A$ ) would be obtained from the equation $A=0.8131 \times B$.
table b-1. Equattons for crossing charactertstic factors
GENERAL FORM OF BASIC FORMULA: $a=K \times E I \times D T \times M S \times M T \times H P \times H L$

| CROSSING CHARACTERISTIC FACTORS |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CROSSING CATEGORY | FORMULA CONSTANT | EXPOSURE <br> INDEX <br> FACTOR | DAY THROUCH TRAINS FACTOR | MAXIMUM SPEED FACTOR | MAIN <br> TRACKS <br> FACTOR | HIGHWAY <br> PAVED <br> factor | $\begin{aligned} & \text { HIGHWAY } \\ & \text { LANES } \\ & \text { FACTOR } \end{aligned}$ |
|  | K | EI | DT | MS | MT | HP | HL |
| PASSIVE | 0.0006938 | $((c x t+0.2) / 0.2)^{0.37}$ | $((\mathrm{d}+0.2) / 0.2)^{0.178}$ | $\mathrm{e}^{0.0077 \mathrm{~ms}}$ | 1.0 | $e^{-0.5966(h p-1)}$ | 1.0 |
| FLASHING LIGHTS | 0.0003351 | $((\mathrm{cxt}+0.2) / 0.2)^{0.4106}$ | $((d+0.2) / 0.2)^{0.1131}$ | 1.0 | $\mathrm{e}^{0.1917 \mathrm{mt}}$ | 1.0 | $e^{0.1826(n l-1)}$ |
| GATES | 0.0005745 | $((\mathrm{cxt}+0.2) / 0.2)^{0.2942}$ | $((d+0.2) / 0.2)^{0.1781}$ | 1.0 | $e^{0.1512 m t}$ | 1.0 | $e^{0.1420(h 1-1)}$ |

$c=$ number of highway vehicles per day
$t=$ number of trains per day
$d=$ number of through trains per day during daylight hp $=$ highway paved? yes $=1.0$ and no $=2.0$ $\mathrm{ms}=$ maximum timetable speed, mph
$\mathrm{h} 1=$ number of highway lanes

APPENDIX C<br>TABLE VALUES FOR BASIC FORMULA FACTORS

Tables $C-1, C-2$, and $C-3$ provide numerical values for the crossing characteristic factors of the basic formula $[1]$ for the various characteristic levels. A different table is provided for each of the categories: passive, flashing lights, and gates. The values are to be used only for crossings with the warning device category for which it was designed. To calculate the value of (a) at a crossing with flashing lights, Table C-2 would be used to obtain the factor values for substitution into the basic formula.

If the warning devices at a particular crossing were upgraded in the last five years, it is preferable to use the set of equations for the warning device existing prior to upgrading and multiply the resulting value of (a) by the appropriate effectiveness factor from Table 3. In calculating (B) for such a crossing, only accident history since the upgrading should be considered. For example, if the warning device at a crossing were upgraded from erossbucks to gates two years ago, the value of (a) should be developed using Table $C-1$ and the result should be multiplied by $1-0.83=0.17$. Though five years of accident history may be available, only the accidents and the time elapsed since the upgrade ( $T=2$ ) should be used in arriving at a value of ( $B$ ). The final accident prediction (A) would be obtained from the equation $A=0.8131 \mathrm{X} \mathrm{B}$.
TABLE C-1. FACTOR VALUES FOR CROSSINGS WITH PASSIVE WARNING DEVICES

TABLE C-2. FACTOR VALUES FOR CROSSINGS WITH FLASHING LIGHT WARNING DEVICES


[^0]TABLE C-3. FACTOR VALUES FOR CROSSINGS WITH GATE WARNING DEVICES


```
The equation for P(FA|A) is:
```

$$
P(F A \mid A)=1 /(1+K F X M S \times T T X T S X U R),
$$

where

$$
\begin{aligned}
& \mathrm{KF}=440.9, \mathrm{MS}=\mathrm{ms}-0.9981, \mathrm{TT}=(\mathrm{tt}+1)-0.0872, \\
& \mathrm{TS}=(\mathrm{ts}+1)^{0.0872}, \mathrm{UR}=\mathrm{e}^{0.3571 \mathrm{ur}}
\end{aligned}
$$

The equation for $P(C A \mid A)$ is:

$$
P(C A \mid A)=1 /(1+K C X M S X T K X U R),
$$

where

$$
K C=4.481, M S=m s-0.343, T K=e^{0.1153 t k}, U R=e^{0.2960 u r}
$$

Tables D-1 and D-2 provide the numerical values of the severity prediction formulas $[4]$ and $[5]$. These formulas apply to all crossings regardless of the type of warning device present.
TABLE D-1. FACTOR VALUES FOR FATAL ACCIDENT PROBABILITY FORMULA

TABLE D-2. FACTOR VALUES FOR CASUALTY ACCIDENT PROBABILITY FORMULA $\therefore$


AAR - Association of American Railroads
accident prediction formula - A hazard function which calculates predicted accidents per year at a crossing.
active warning device - A warning device activated by an approaching train; e.g., gates, flashing lights, highway signals, wig-wags, and bells.

## basic accident prediction formula - Provides an initial prediction of a

 crossing's accidents based on its characteristics in the DOT Crossing Inventory. Results of the basic formula are used as input for the DOT accident prediction formula.benefit/cost ratio - Ratio of benefit expressed in the number of accidents, fatalities, or casualties prevented per year to the cost of the warning systems (\$).
combined casualty index (CCI) - A measure of accident severity which combines fatal and injury accidents into a single index.
effectiveness - Accident reduction factor for a warning device relative to the present warning device. It is a number between zero and one; zero means no effectiveness and one is total effectiveness.
flashing lights - An active warning device consisting of flashing red lights that are either cantilevered or mast-mounted.
gates - An active warning device consisting of automatic gates and flashing lights.
hazard function - Any function which gives a numerical value of the likelihood of a motor vehicle/train collision at a rail-highway crossing.
life-cycle costs - The total net present value that is needed to procure, install, and maintain a warning device over its useful service.
optimum safety improvement - An improvement which maximizes safety benefits, in terms of reduced accidents, fatalities, or casualties, for a given amount of funding.
passive warning device - A warning device not activated by an approaching train.
RAIRS - Railroad Accident/Incident Reporting System
severity prediction formula - A formula which calculates predicted fatal accidents per year on predicted casualty accidents per year.
warning device - A device which warns highway users that the roadway crosses railroad trackage.
warning device categories - The following types of warning devices are included in the three warning device categories established for the DOT resource allocation procedure:

1. passive warning devices: crossbucks, stop signs, other signs, and no signs or signals. These devices are classes 1, 2, 3 and 4 in the - DOT Crossing Inventory.
2. flashing light warning devices: flashing lights, both cantilevered and post-mounted; highway signals, wig-wags, or bells; and special warnings such as flagmen. These devices are classes 5, 6, and 7 in the DOT Crossing Inventory.
3. gate warning devices: automatic gates with flashing lights. This device is class 8 in the DOT Crossing Inventory.
4. R. Coulombre, et al, "Summary of the Department of Transportation RailHighway Crossing Accident Prediction Formulas and Resource Allocation Model," U.S. Department of Transportation, Transportation Systems Center, Washington, DC, September 1982, DOT-TSC-FRA-82-1.
5. "Rail-Highway Crossing Accident/Incident and Inventory Bulletin," U.S. Department of Transportation, Federal Railroad Administration, Washington, DC, June 1986.
6. "Railroad-Highway Crossing Handbook," U.S. Department of Transportation, Federal Highway Administration, Washington, DC, August 1978, FHWA-TS-78-214.
7. E.H. Farr, "Rail-Highway Crossing Resource Allocation Procedure - User's Guide, Third Edition," U.S. Department of Transportation, Federal Railroad Administration, Washington, DC. To be published in 1987.
8. P. Mengert, "Rail-Highway Crossing Hazard Prediction Research Results," U.S. Department of Transportation, Transportation Systems Center, Washington, DC, March 1980, FRA-RRS-80-02.
9. E.H. Farr, "Rail-Highway Crossing Resource Allocation Model," U.S. Department of Transportation, Transportation Systems Center, Washington, DC, April 1981, FRA-RRS-81-001.
10. E.H. Farr, J.S. Hitz, "Effectiveness of Motorist Warning Devices at RailHighway Crossings," U.S. Department of Transportation, Transportation Systems Center, Washington, DC, April 1985, FHWA-RD-85-015, DOT-TSC-FHWA-85-1.
11. "Manual on Uniform Traffic Control Devices," U.S. Department of Transportation, Federal Highway Administration, Washington, DC, 1983, Section 8B-9.

[^0]:    Less than one train per day.

